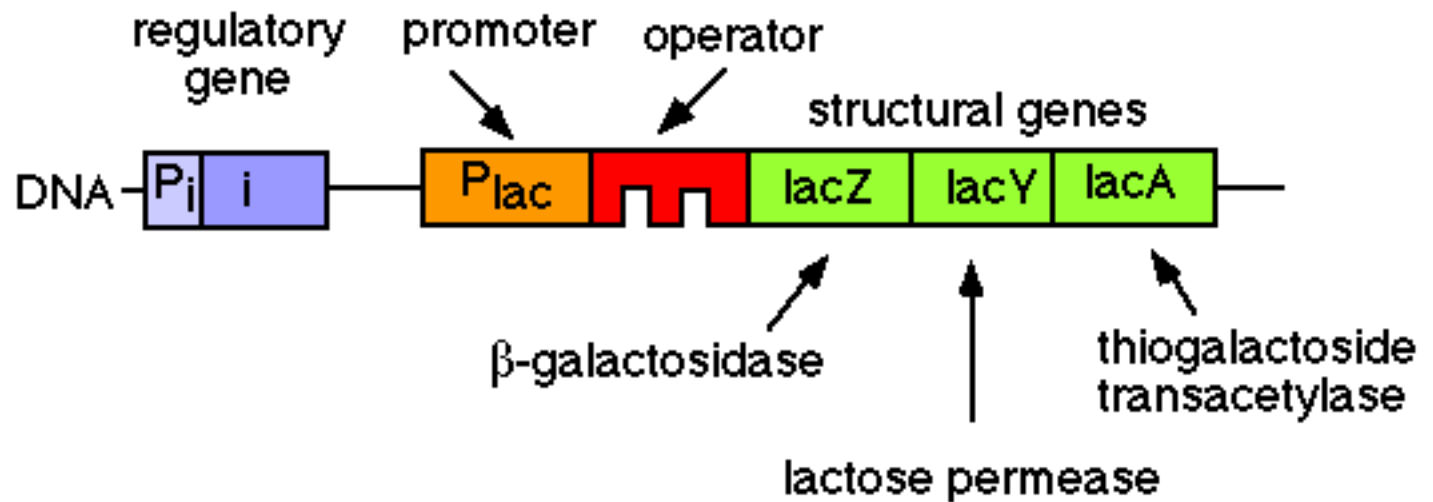


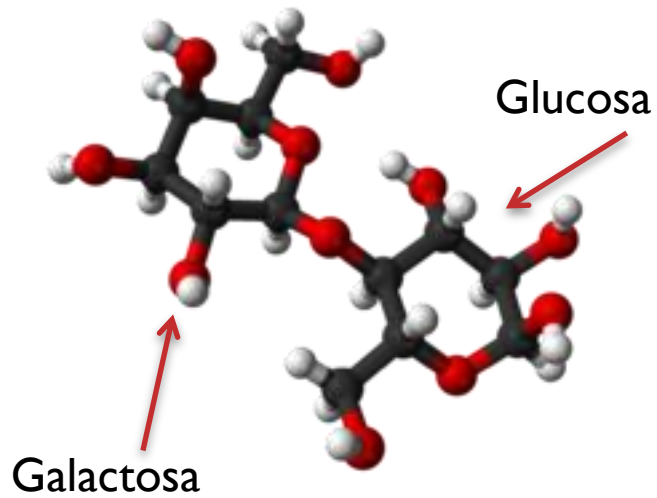
# Circuitos biológicos:

## El operon lac

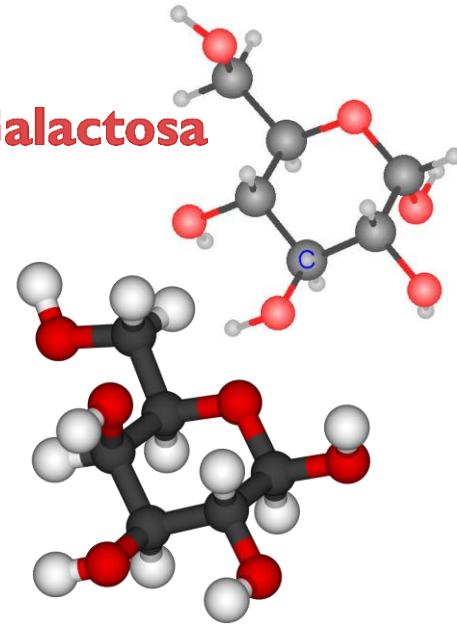
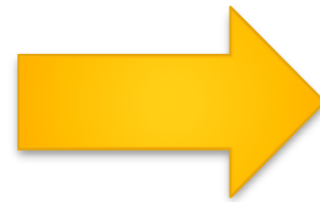


# Cómo funciona?

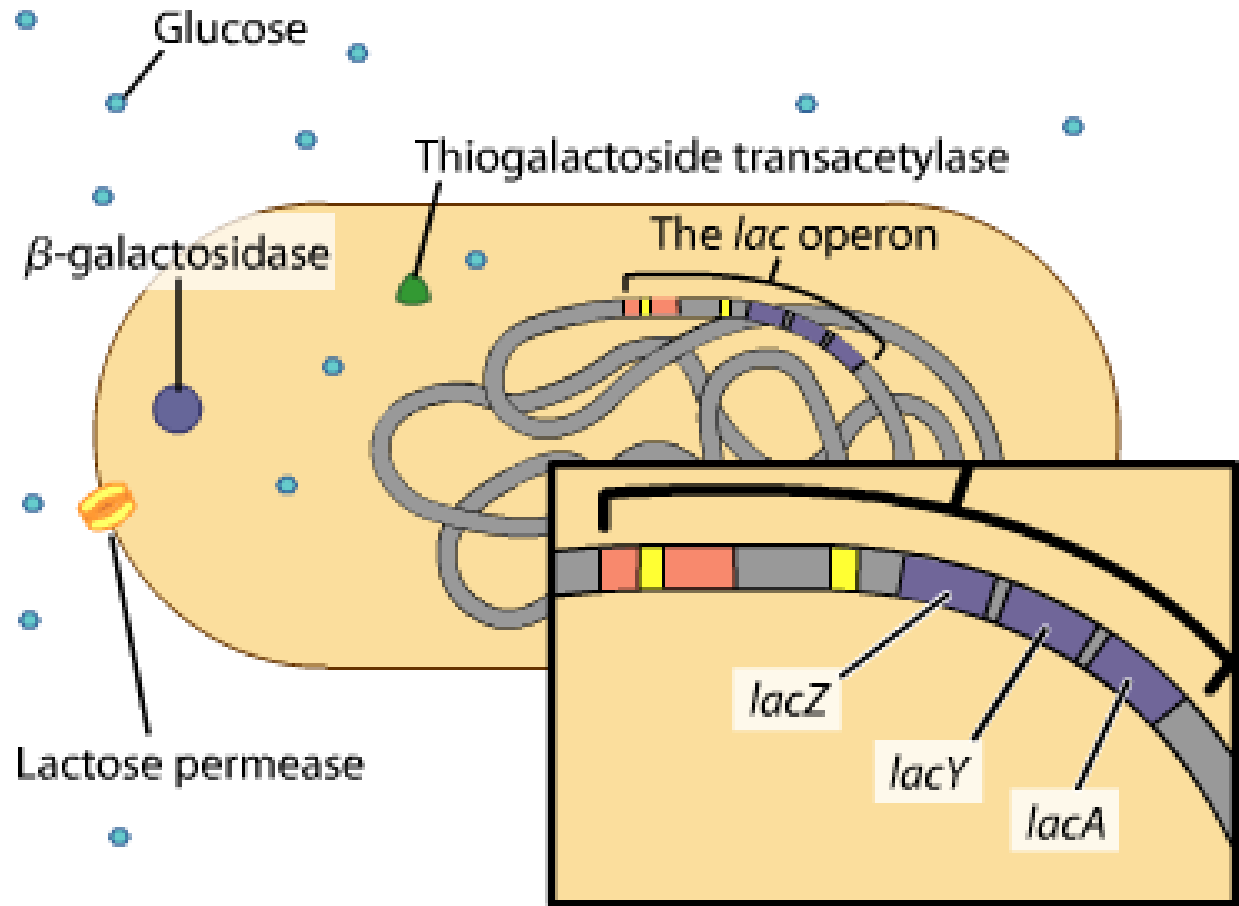
## Lactosa



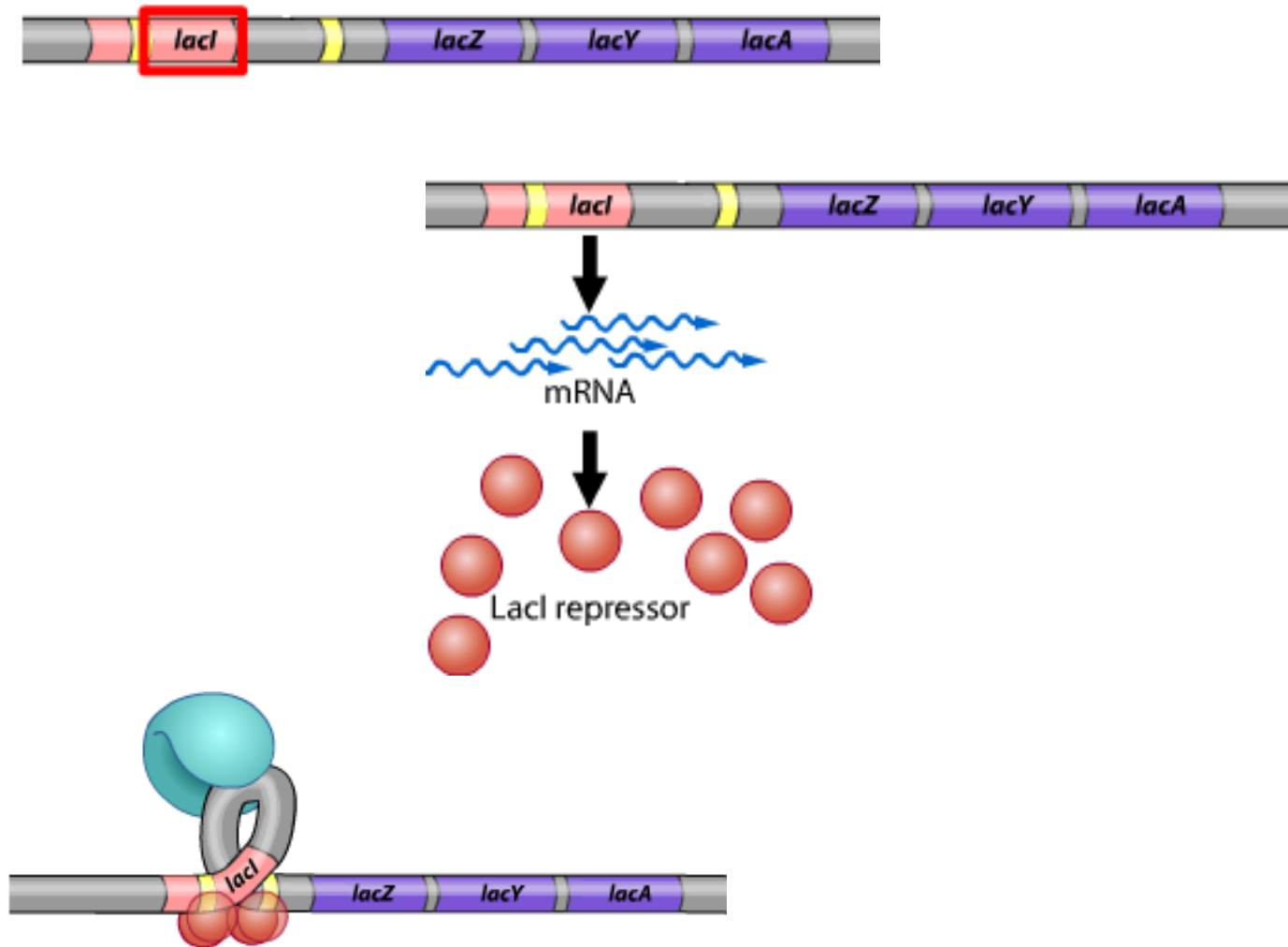
**Glucosa + Galactosa**



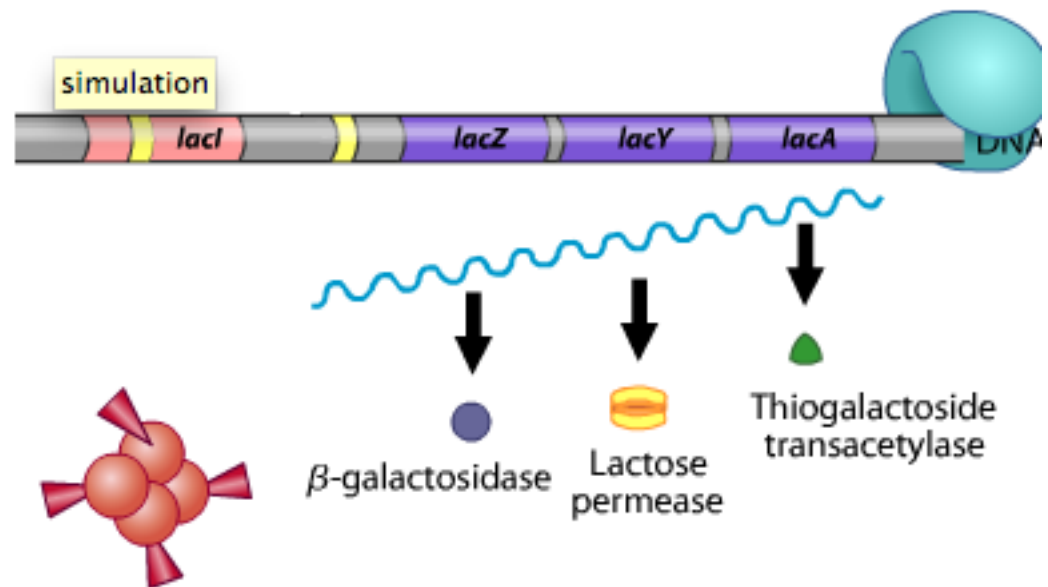
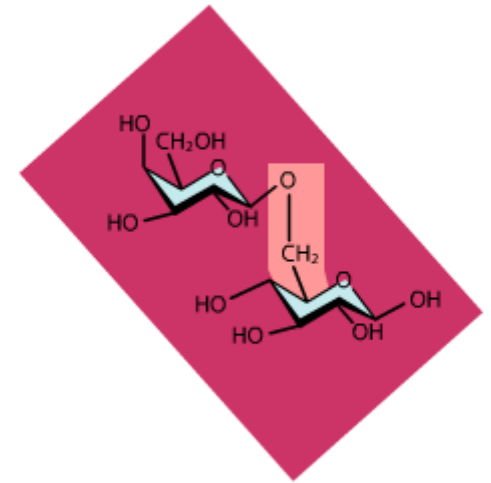
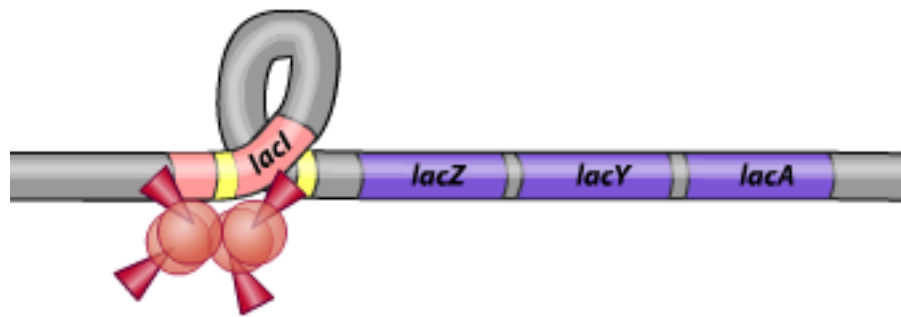
# Operon Lac



# EL REPRESOR



# EL INDUCTOR

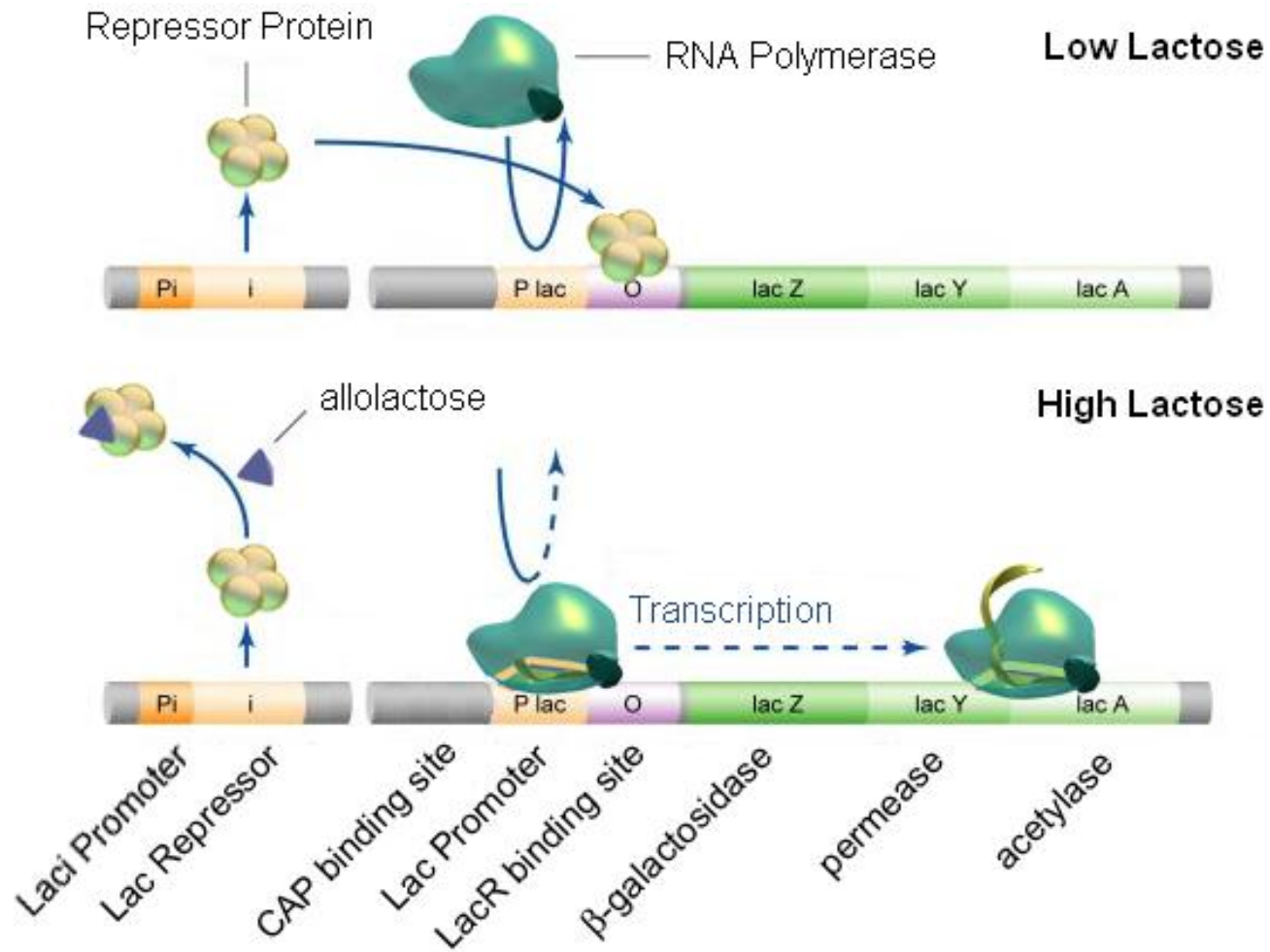


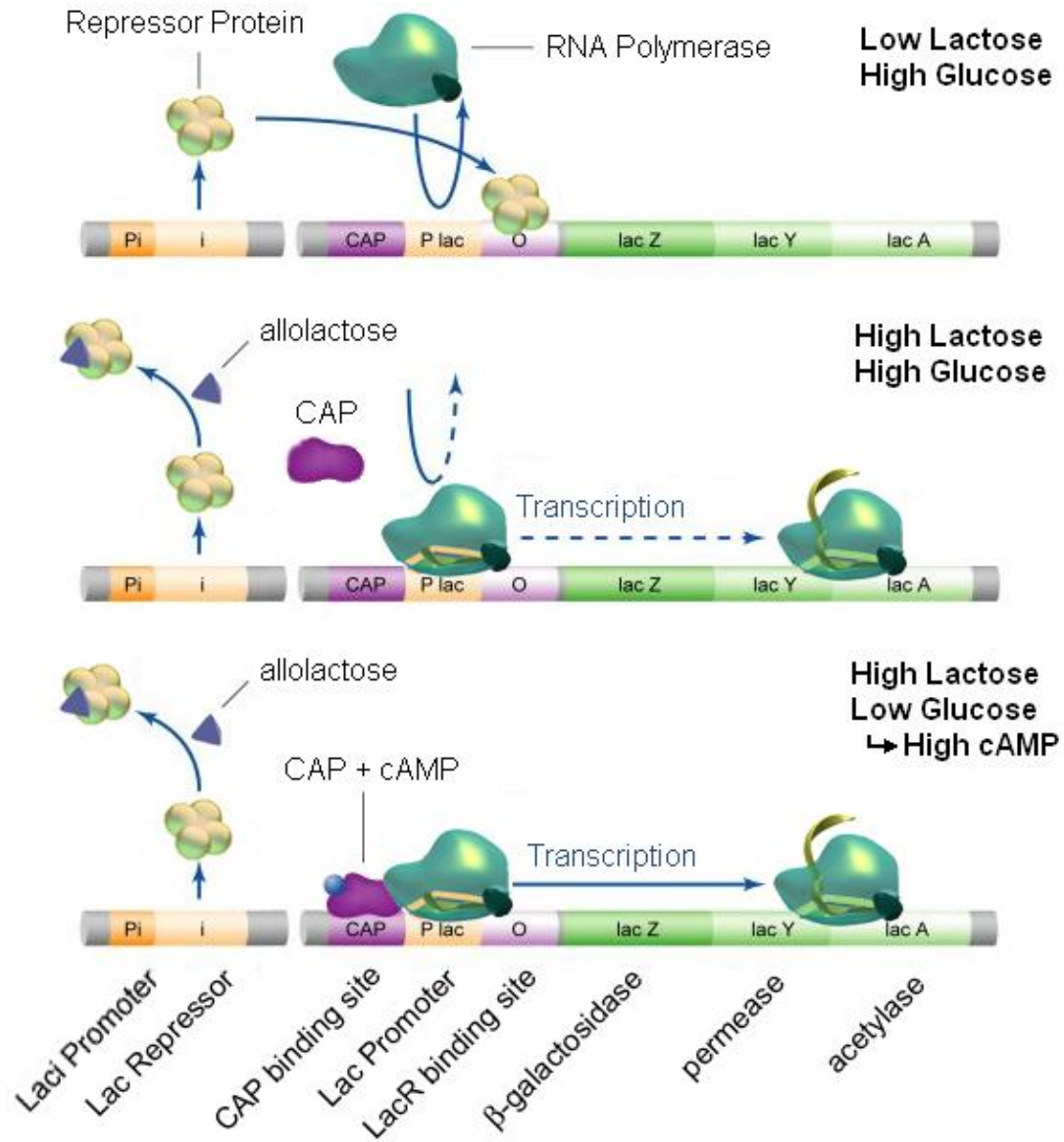
# OTRO INDUCTOR DE OTRA RUTA METABOLICA



W.W.Norton & Company inc.,2010

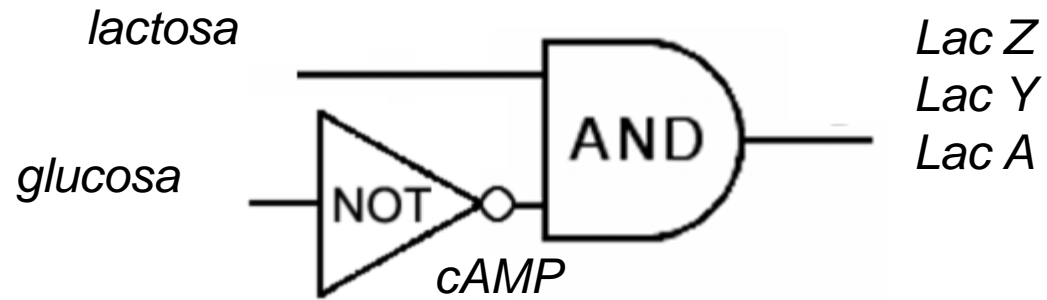
En ausencia de glucosa hay mucho cAMP lo cual también ayuda que la polimerasa se una al operón lac



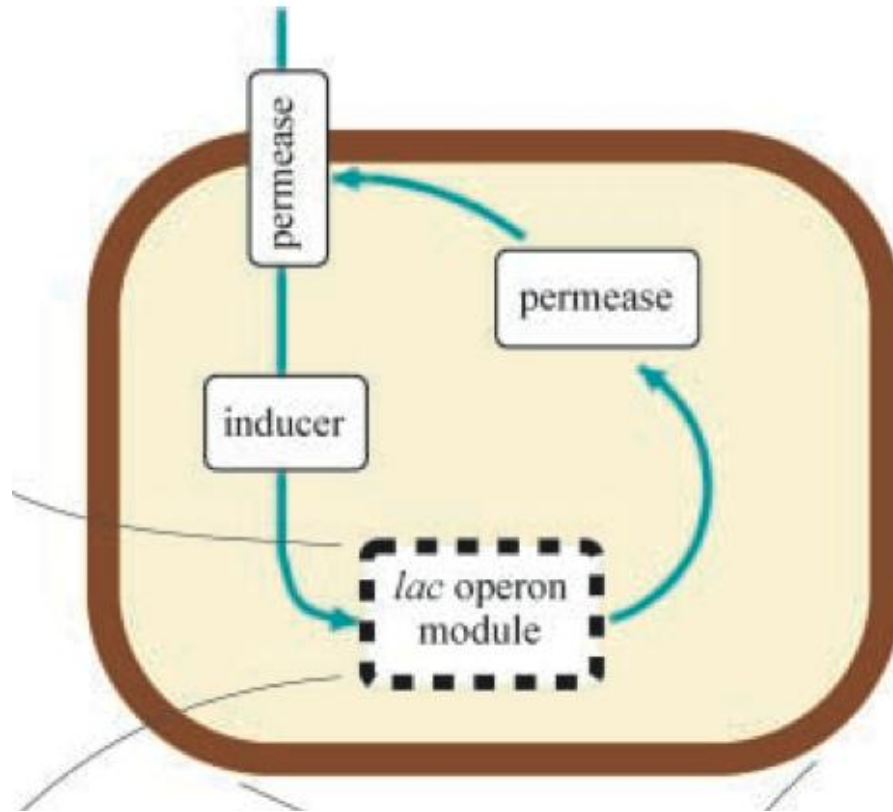




# En resumen.....

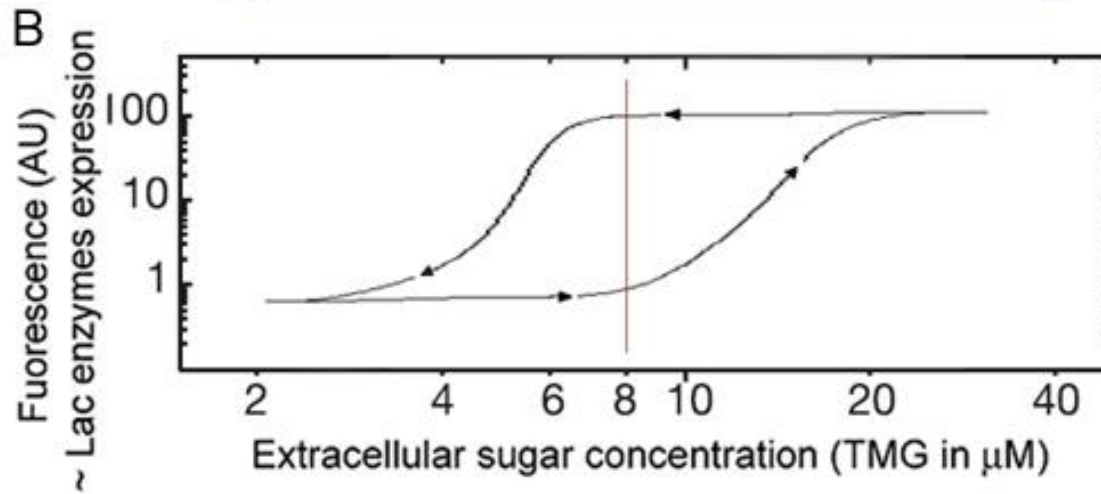
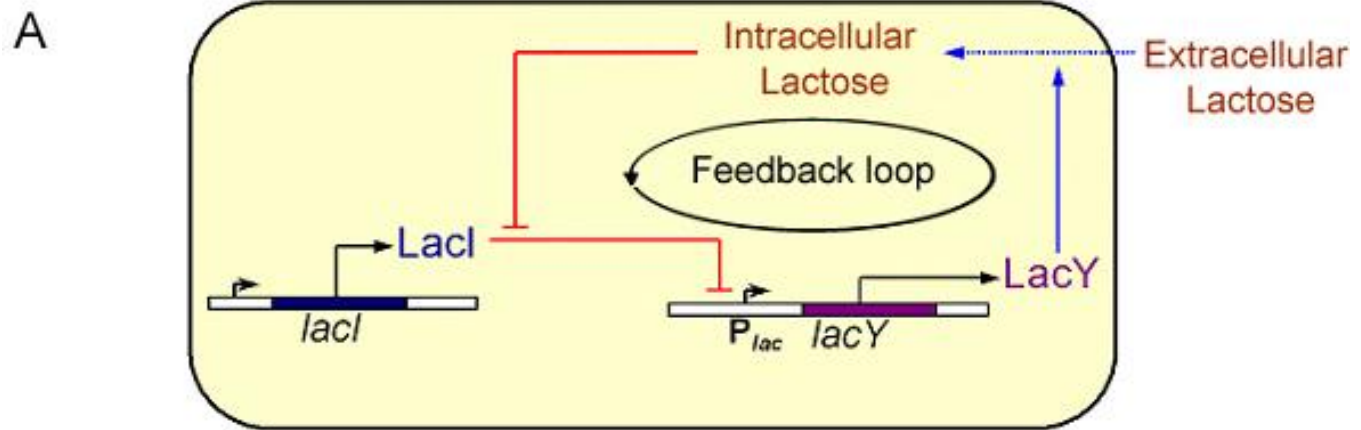


# Feedback positivo

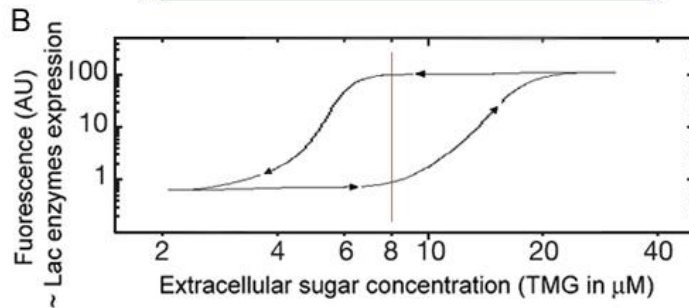
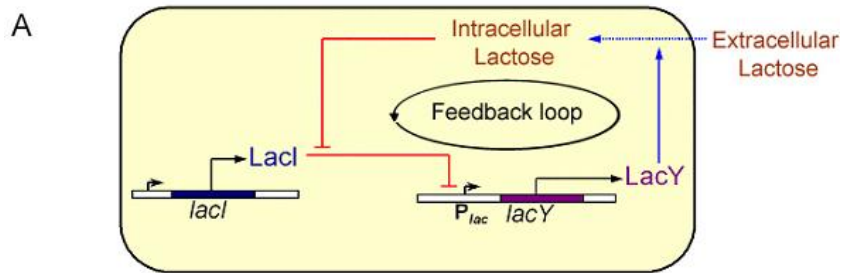
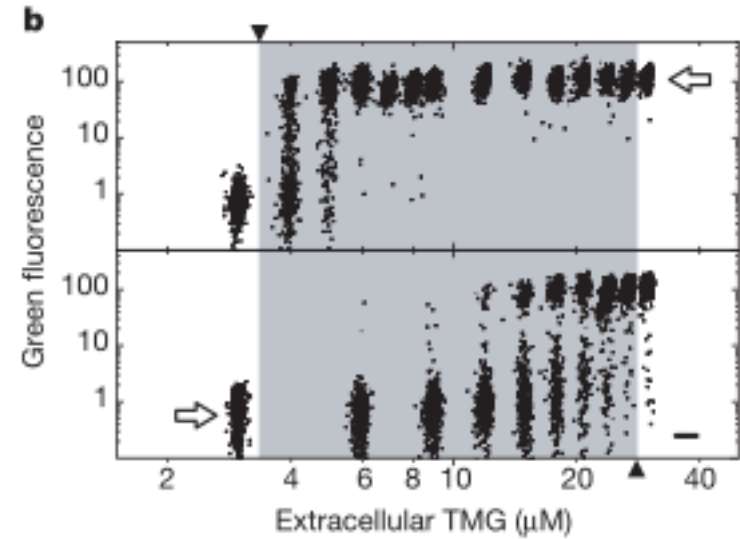


Vilar J. Guet C, Lieber S (2003)

Distintos niveles de detalle producen descripciones distintas, que pueden revelar principios generales.

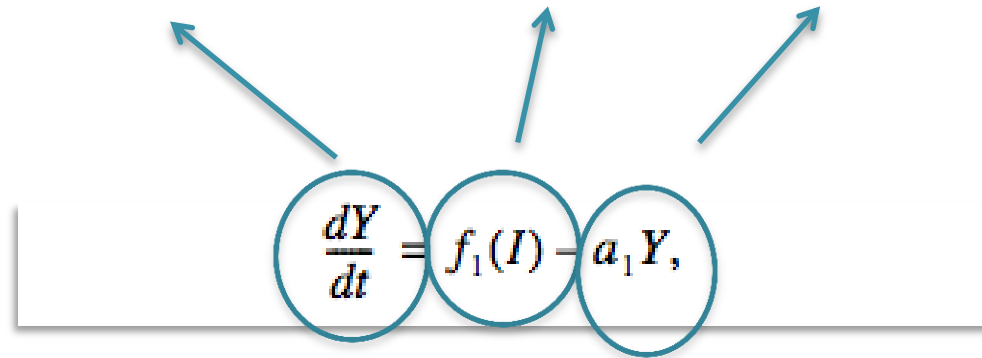


La dinámica de las distribuciones es distinta a la del promedio:



# Modelo matemático

Cambio a través del tiempo = Tasa Creación – Tasa Destrucción



The diagram shows the differential equation  $\frac{dY}{dt} = f_1(I) - a_1Y$  enclosed in a white box. Three blue arrows originate from the equation: one points to the left towards the text 'Cambio a través del tiempo', one points upwards towards 'Tasa Creación', and one points upwards and to the right towards 'Tasa Destrucción'. The terms  $\frac{dY}{dt}$ ,  $f_1(I)$ , and  $a_1Y$  are each circled in blue.

$$\frac{dY}{dt} = f_1(I) - a_1Y$$



# Modelo matemático

$$\frac{dR_{\text{totales}}}{dt} = k - \gamma R_{\text{totales}}$$

$$\frac{dR_l}{dt} = g(R_p, I) - \beta(R_l)$$

$$\frac{dR_p}{dt} = \beta(R_l) - g(R_p, I)$$

$$R_{\text{totales}} = R_p + R_l$$

